

An Adaptive Fruit Fly Optimization Algorithm for Optimization Problems

L. Q. Zhang¹, J. Xiong^{2*}, J. K. Liu²

¹College of Computers and Engineering, Chongqing Three Gorges University, Chongqing, China ²College of Mathematics and Statistics, Chongqing Three Gorges University, Chongqing, China Email: zhanglq830206@126.com, *xiongjiang@sanxiau.edu.cn, liujinkui2006@126.com

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Abstract

In this paper, we present a new fruit fly optimization algorithm with the adaptive step for solving unconstrained optimization problems, which is able to avoid the slow convergence and the tendency to fall into local optimum of the standard fruit fly optimization algorithm. By using the information of the iteration number and the maximum iteration number, the proposed algorithm uses the floor function to ensure that the fruit fly swarms adopt the large step search during the olfactory search stage which improves the search speed; in the visual search stage, the small step is used to effectively avoid local optimum. Finally, using commonly used benchmark testing functions, the proposed algorithm is compared with the standard fruit fly optimization algorithm with some fixed steps. The simulation experiment results show that the proposed algorithm can quickly approach the optimal solution in the olfactory search stage and accurately search in the visual search stage, demonstrating more effective performance.

Keywords

Swarm Intelligent Optimization Algorithm, Fruit Fly Optimization Algorithm, Adaptive Step, Local Optimum, Convergence Speed

1. Introduction

Swarm intelligent optimization algorithm belongs to bionic optimization algorithm, which originates from the daily survival behavior of all kinds of organisms in nature, such as the ant colony algorithm [1], the genetic algorithm [2], the fruit fly optimization algorithm [3] and so on. These swarm intelligence optimization algorithms have been widely used in transportation, network communication, medical security, national defense construction and other fields, and have brought remarkable optimization results.

In this paper, we are interested in the fruit fly optimization algorithm (FOA), which was first proposed by observing and simulating the foraging behavior of fruit flies in [3]. This algorithm is one of global optimization swarm intelligence algorithms, and has a simple structure, fewer parameters and low computational complexity. Recently, this algorithm has been favored by many researchers, and widely used in practical problems. For example, to solve the multidimensional knapsack problem, Wang et al. [4] proposed a new binary fruit fly optimization algorithm including smell-based search process, local vision-based search process and global vision-based search process. Based on the geometric reasoning approach and the standard FOA algorithm, Wang et al. [5] established an effective algorithm to reduce the computer consumption. The results showed that this algorithm is able to decline the expenditure and the time of casting production cycle. Based on a chaotic fly optimization algorithm, Fei et al. [6] presented a new support vector machine optimization method, in which a mutation strategy is used to simultaneously perform parameter setting turning for the support vector machine optimization method and feature selection. Wu and Liu et al. [7] proposed a new fruit fly optimization algorithm with four extra mechanisms for solving engineering optimization problems. Bezdan and Stoean et al. [8] proposed a hybrid fruit fly optimization algorithm to solve the text document clustering.

With the increasingly widespread applications of the FOA algorithm, its shortcomings make it difficult to meet the needs of researchers. This has inspired researchers to adopt new strategies to improve the standard FOA algorithm. For example, based on the standard FOA algorithm and the simulated annealing algorithm, Yang et al. [9] proposed a modified FOA algorithm, and its numerical results are significantly superior to the standard FOA algorithm. By using the Gaussian mutation operator and the chaotic local search strategy, Zhang et al. [10] established a new FOA algorithm which effectively overcame the shortcomings of the standard FOA algorithm. The experimental results showed that the new strategies improved the performance of the algorithm in optimization calculations. In order to effectively solve the clustering parameter problems and the continuous function optimization problems, Han et al. [11] studied a novel FOA algorithm, and its main characteristics has the trend search and co-evolution. Li et al. [12] proposed a new strategy by adding the cat mapping in the standard FOA algorithm to carry out the individual distribution, and established an improved FOA algorithm. The numerical results indicated that the computational performance of the proposed algorithm outperformed that of the other peers. Meng and Pan [13] presented an effect FOA algorithm to solve the classical multidimensional knapsack problem. This approach uses the parallel search which can balance exploitation and exploration of the fruit fly populations. In order to solve the new task scheduling, Aggarwal et al. [14] proposed a self-adaptive FOA algorithm, which is able to complete the workflow completion in an effective way and reduce work costs. Based on the chaotic map, the adaptive DE/best/2mutation operator and the orthogonal learning mechanism, Chandra and Niyogi [15] studied an effective FOA algorithm to solve the web service selection problem. To optimize the execution time and reduce the cost, Qin *et al.* [16] proposed a new hybrid collaborative multi-objective FOA algorithm based on the reference points-based cluster strategy. Based on the independent variational mode decomposition, Li and Xu [17] established an effective FOA algorithm to deal with the laser cladding operations. Zhu *et al.* [18] proposed a discrete knowledge-guided learning FOA algorithm to deal with the distributed no-wait flow shop scheduling problem with the due windows. Other relevant research results can be found in references [19]-[29].

In order to improve the convergence rate and avoid falling into the local extremes, in this paper we propose an adaptive step size fruit fly optimization algorithm (ASFOA) for solving optimization problems by using the information of the iterations. By adjusting the step size, the proposed algorithm can make fruit fly swarm adopt the big step length search in the olfactory search stage, improve the convergence speed, and make fruit fly swarm approach the optimal value quickly. In the visual search stage, small steps are used for precise search to avoid excessive search and falling into local extremes.

The remaining part of the paper is organized as follows. In Section 2, we analyze our algorithm for solving unconstrained optimization problems and provide its specific steps. In Section 3, we give the experimental simulation results. We summarize the whole paper in Section 4.

2. Fundamental Principles

In the standard FOA algorithm, fruit fly individual approaches to the optimal value with a fixed step size, which directly affects its performance. When the fixed step size is set too large, the algorithm is beneficial to improve the convergence speed in the early stage of the iterative process, but it is unable to provide the exact search for local areas in the later stage. This easily leads to the algorithm falling into the local optima. When the fixed step size is too small, the algorithm can perform the exact search for local areas in the later stage, but the algorithm cannot provide fast search speed in the early stage, which results in the slow convergence speed. Thus, the step size selection mechanism has a significant impact on the computational performance and convergence of the standard FOA algorithm.

In this paper, we propose a step size selection mechanism, in which the step size gradually decreases as the number of iterations increases. This can ensure that the algorithm uses large step sizes to quickly approach the optimal solution of the problem in the early stage and uses small step size for the precise search in the later stage, which improves the computational performance and convergence of the algorithm. Based on standard FOA algorithm, we give the specific process of the adaptive step size fruit fly optimization algorithm for solving optimization problems.

Algorithm 2.1 (ASFOA algorithm):

Step 0. Give some parameters, including the population size (*sizepop*), the maximum number of iterations (*maxgen*), the problem dimension (*dim*), the initial position range (*LR*).

Step 1. Randomly initialize the fruit fly population locations, *i.e.*,

$$x_{axis} = rand(LR), y_{axis} = rand(LR).$$
(1)

Step 2. Calculate the random direction and distance of fruit fly individual, i.e.

$$x_i = x_{axis} + \alpha_i * rand(1, dim), \tag{2}$$

$$y_i = y_{axis} + \alpha_i * rand(1, dim), \tag{3}$$

where $rand(\cdot, \cdot)$ is a randomly generated function in Matlab software, $\alpha_i = floor(maxgen/i)$ is the step size in this iteration, which is adjusted according to the number of iterations.

Step 3. Compute

$$s_i = 1/d_i \,, \tag{4}$$

where $d_i = \sqrt{x_i^2 + y_i^2}$ is the distance between the *i*-th fruit fly and the origin point, s_i is the judgment value of smell concentration of the *i*-th fruit fly.

Step 4. Substitute the judgment value of the smell concentration into the judgment function, namely,

$$smell_i = f(s_i), \tag{5}$$

where $f : \mathbb{R}^n \to \mathbb{R}$ is the objective function, $smell_i$ is the judgment function value of the smell concentration of the *i*-th fruit fly.

Step 5. In the fruit fly swarm, identify the best smell concentration value (*Bestsmell*) and its index (*Bestindex*), *i.e.*,

$$[Bestsmell, Bestindex] = min(smell).$$
(6)

Step 6. Record the best smell concentration value and the corresponding coordinates *x* and *y*. Other fruit flies use their vision to fly towards the optimal individual, *i.e.*,

$$smellBest = Bestsmell,$$
 (7)

$$x_{axis} = x (Bestindex), \tag{8}$$

$$y_{axis} = y (Bestindex).$$
(9)

Step 7. Start the optimization iteration: repeat Steps 2-6. Assessment whether the current best concentration value is better than the historical best concentration value, otherwise go to Step 6.

Remark 2.1 The step size $\alpha_i = floor(maxgen/i)$ decreases gradually as the number of iterations increases. This not only meets the large step size needed in the early stage of iterative process, but also meets the small step size needed in the later stage of iterative process. This implies that the ASFOA algorithm can converge quickly in the early stage, and avoid falling into local optimal in the

late stage.

3. Simulation Experiment Analysis

In this paper, we carry out some simulation experiments to assess the ASFOA algorithm on some commonly benchmark functions, and compare the ASFOA algorithm with the standard FOA algorithm. The adopted benchmark functions are listed in **Table 1**. Among these functions, the first two are unimodal functions, and the others are multimodal functions. In the simulation experiment, maxgen = 200, sizepop = 30, dim = 30. The step sizes of the standard FOA algorithm are respectively taken t = 2 and t = 10. The codes of these algorithms are written using MATLAB 7.0 and run on an HP computer with Intel (R) Core (TM) i7-9700 CPU 3.00 GHZ and 8.00 G memory.

In order to make the simulation experiments fairly, we did ten independent experiments on each benchmark function, and took the average values of the maximum value (Max), minimum value (Min), optimized mean value (Mean) and standard deviation (Std) as the evaluation indexes. The detailed results are listed in **Table 2**. **Table 2** shows that the ASFOA algorithm is superior to the standard FOA algorithm for the evaluation indicators except for the Exponential function, but the ASFOA algorithm still outperforms the standard FOA algorithm in "Std" for the Exponential function. This indicates that the ASFOA algorithm has been significantly improved in the optimization accuracy. To more intuitively compare and analyze the characteristics of these algorithms, the

Name	function	search Range	optimal value	function type
Sum square	$f(x) = \sum_{i=1}^{n} ix_i^2$	[-10, 10]	0	unimodal
Exponential	$f(x) = -\exp\left(-0.5\sum_{i=1}^{n}x_i^2\right)$	[-1, 1]	-1	unimodal
Rastrigin	$f(x) = \sum_{i=1}^{n} (x_i^2 - 10\cos(2\pi x_i) + 10)$	[-5.12, 5.12]	0	multimodal
Schaffer	$f(x) = \frac{\sin^2\left(\sqrt{\sum_{i=1}^n x_i^2}\right) - 0.5}{\left(1 + 0.001\left(\sum_{i=1}^n x_i^2\right)\right)^2} + 0.5$	[-100, 100]	0	multimodal
Griewank	$f(x) = \frac{1}{4000} \sum_{i=1}^{n} x_i^2 - \prod_{i=1}^{n} \cos\left(\frac{x_i}{\sqrt{i}}\right) + 1$	[-600, 600]	0	multimodal
Ackley	$f(x) = -20 \exp\left(-0.2\sqrt{\frac{1}{n}\sum_{i=1}^{n}x_{i}^{2}}\right) - \exp\left(\frac{1}{n}\sum_{i=1}^{n}\cos(2\pi x_{i})\right) + 20 + e$	[-32, 32]	0	multimodal

Table 1. The benchmark functions.

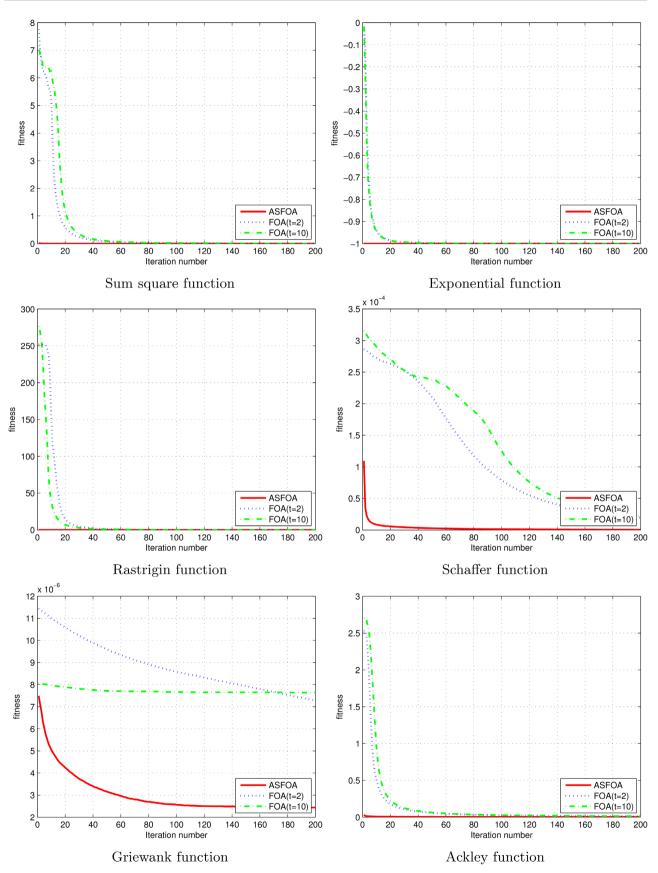
	-		-		-
	Function	Index	ASFOA	FOA $(t=2)$	FOA (<i>t</i> = 10)
		Max	1.8293×10^{-2}	7.76096×10^{0}	$7.1593 \times 10^{\circ}$
	0	Min	1.0843×10^{-4}	4.3639×10^{-3}	4.6354×10^{-3}
$ \begin{array}{c} {\rm Hax} & -9.9933 \times 10^{-1} & -1.2821 \times 10^{-6} & -1.4046 \times 10^{-6} \\ {\rm Hin} & -0.999996 \times 10^{0} & -0.999857 \times 10^{0} & -0.999859 \times 11 \\ {\rm Hean} & -0.999977 \times 10^{0} & -0.979512 \times 10^{0} & -0.981477 \times 11 \\ {\rm Std} & 5.4409 \times 10^{-5} & 1.0651 \times 10^{-1} & 9.8403 \times 10^{-2} \\ {\rm Max} & 2.4897 \times 10^{-1} & 2.5169 \times 10^{2} & 2.7659 \times 10^{2} \\ {\rm Min} & 1.4461 \times 10^{-3} & 6.0669 \times 10^{-2} & 5.7357 \times 10^{-2} \\ {\rm Mean} & 9.2273 \times 10^{-3} & 1.5238 \times 10^{1} & 9.6328 \times 10^{0} \\ {\rm Std} & 2.0775 \times 10^{-2} & 5.3005 \times 10^{1} & 4.1056 \times 10^{1} \\ {\rm Mean} & 1.0927 \times 10^{-4} & 2.8649 \times 10^{-4} & 3.1584 \times 10^{-4} \\ {\rm Min} & 4.3403 \times 10^{-7} & 1.9276 \times 10^{-5} & 2.1825 \times 10^{-5} \\ {\rm Mean} & 2.9598 \times 10^{-6} & 1.1661 \times 10^{-4} & 1.4035 \times 10^{-4} \\ {\rm Mean} & 2.9598 \times 10^{-6} & 1.1661 \times 10^{-5} & 9.6836 \times 10^{-5} \\ {\rm Mean} & 2.4356 \times 10^{-6} & 7.2824 \times 10^{-6} & 7.6413 \times 10^{-4} \\ {\rm Min} & 3.0017 \times 10^{-6} & 8.8248 \times 10^{-6} & 7.7119 \times 10^{-6} \\ {\rm Std} & 9.2179 \times 10^{-7} & 1.1098 \times 10^{-6} & 1.0108 \times 10^{-4} \\ {\rm Min} & 1.9731 \times 10^{-3} & 1.2799 \times 10^{-2} & 1.3059 \times 10^{-3} \\ {\rm Min} & 1.9731 \times 10^{-3} & 1.2475 \times 10^{-1} & 1.6219 \times 10^{-1} \end{array}$	Sun square	Mean	$6.8036 imes 10^{-4}$	$4.2866 imes 10^{-1}$	5.6675×10^{-1}
$ \begin{array}{c} \text{Exponential} & \begin{array}{c} \text{Min} & -0.999996 \times 10^{\circ} & -0.999857 \times 10^{\circ} & -0.999859 \times 10^{\circ} \\ \text{Mean} & -0.999977 \times 10^{\circ} & -0.979512 \times 10^{\circ} & -0.981477 \times 10^{\circ} \\ \text{Std} & 5.4409 \times 10^{-5} & 1.0651 \times 10^{-1} & 9.8403 \times 10^{-2} \\ \end{array} \\ \begin{array}{c} \text{Max} & 2.4897 \times 10^{-1} & 2.5169 \times 10^{2} & 2.7659 \times 10^{2} \\ \text{Min} & 1.4461 \times 10^{-3} & 6.0669 \times 10^{-2} & 5.7357 \times 10^{-2} \\ \end{array} \\ \begin{array}{c} \text{Mean} & 9.2273 \times 10^{-3} & 1.5238 \times 10^{1} & 9.6328 \times 10^{0} \\ \text{Std} & 2.0775 \times 10^{-2} & 5.3005 \times 10^{1} & 4.1056 \times 10^{1} \\ \end{array} \\ \begin{array}{c} \text{Max} & 1.0927 \times 10^{-4} & 2.8649 \times 10^{-4} & 3.1584 \times 10^{-4} \\ \text{Min} & 4.3403 \times 10^{-7} & 1.9276 \times 10^{-5} & 2.1825 \times 10^{-5} \\ \end{array} \\ \begin{array}{c} \text{Mean} & 2.9598 \times 10^{-6} & 1.1661 \times 10^{-4} & 1.4035 \times 10^{-4} \\ \text{Max} & 7.4937 \times 10^{-6} & 1.1440 \times 10^{-5} & 8.0648 \times 10^{-6} \\ \end{array} \\ \begin{array}{c} \text{Max} & 7.4937 \times 10^{-6} & 1.1440 \times 10^{-5} & 8.0648 \times 10^{-6} \\ \text{Mean} & 3.0017 \times 10^{-6} & 8.8248 \times 10^{-6} & 7.7119 \times 10^{-6} \\ \end{array} \\ \begin{array}{c} \text{Max} & 3.0351 \times 10^{-7} & 1.1098 \times 10^{-6} & 1.0108 \times 10^{-6} \\ \text{Min} & 1.9731 \times 10^{-3} & 1.2799 \times 10^{-2} & 1.3059 \times 10^{-2} \\ \end{array} $ \\ \begin{array}{c} \text{Max} & 3.0351 \times 10^{-2} & 2.5310 \times 10^{9} & 2.7047 \times 10^{9} \\ \text{Maan} & 4.199 \times 10^{-3} & 1.2475 \times 10^{-1} & 1.6219 \times 10^{-1} \end{array} } \end{array}		Std	1.5249×10^{-3}	$1.39497 \times 10^{\circ}$	$1.6209 \times 10^{\circ}$
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$ \begin{array}{c} \mbox{Ackley} \\ $	Exponential	Mean	$-0.999977 imes 10^{\circ}$	$-0.979512 \times 10^{\circ}$	-0.981477×10
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	Аскіеу	Mean	4.199×10^{-3}	$1.2475 imes 10^{-1}$	1.6219×10^{-1}
Std 2.9875×10^{-3} 3.8016×10^{-1} 4.7796×10^{-1}		Std	2.9875×10^{-3}	3.8016×10^{-1}	$4.7796 imes 10^{-1}$

Table 2. Experimental Results via ASFOA algorithm and the standard FOA algorithm.

fitness curves of the benchmark functions are shown in **Figure 1**. It is not difficult to find that the ASFOA algorithm can rapidly decline in the early stage of the iterative process and converge in the later stage. To sum up, the ASFOA algorithm has been significantly improved in the optimization efficiency.

4. Conclusion

Based on the limitations and shortcomings of the standard FOA algorithm, in this paper we use the adaptive step size to establish the ASFOA algorithm, which uses different step sizes in different search stages. The experiment results show that the ASFOA algorithm not only breaks through the limitations and shortcomings of the standard FOA algorithm, but also has some improvements in the





convergence speed and optimization accuracy compared to the standard FOA algorithm.

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Conflicts of Interest

The authors declare no conflicts of interest regarding the publication of this paper.

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