

Comparison of the Length of Stay and Medical Expenditures among Japanese Hospitals for Type 2 Diabetes Treatments: The Box-Cox Transformation Model under Heteroscedasticity

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Received 8 December 2015; accepted 15 January 2016; published 18 January 2016

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Abstract

In this paper, we analyzed length of stay (LOS) in hospitals and medical expenditures for type 2 diabetes patients. LOS was analyzed by the power Box-Cox transformation model when variances differed among hospitals. We proposed a new test and consistent estimator. We rejected the homoscedasticity of variances among hospitals, and then analyzed the LOS of 12,666 type 2 diabetes patients hospitalized for regular medical treatments collected from 60 general hospitals in Japan. The variables found to affect LOS were age, number of comorbidities and complications, introduced by another hospital, one-week hospitalization, 2010 revision, specific-hospitalization-period (SHP), and principal diseases E11.5, E11.6 and E11.7. There were surprisingly large differences in ALOS among hospitals even after eliminating the influence of characteristics and conditions of patients. We then analyzed daily medical expenditure (DME) by the ordinary least squares methods. The variables that affected DME were LOS, number of comorbidities and complications, acute hospitalization, hospital's own outpatient, season, introduced by another hospital, one-week hospitalization, 2010 revision, SHP, time trend, and principal diseases E11.2, E11.4 and E117. The DME did not decrease after the SHP. After eliminating the influences of characteristics and conditions of patients, the differences among hospitals were relatively small, 12% of the overall average. LOS is the main determinant of medical expenditures, and new incentives to reduce LOS are needed to control Japanese medical expenditures. Since at least 99% of patients require medical care after leaving the hospital, systems that take proper care of patients for long periods of time after hospitalization are absolutely necessary for efficient treatment of diabetes.

How to cite this paper: Nawata, K. and Kawabuchi, K. (2016) Comparison of the Length of Stay and Medical Expenditures among Japanese Hospitals for Type 2 Diabetes Treatments: The Box-Cox Transformation Model under Heteroscedasticity. *Health*, **8**, 49-63. <u>http://dx.doi.org/10.4236/health.2016.81007</u>

Keywords

Type 2 Diabetes, Medical Expenditure, Length of Hospital Stay, Cox-Box Transformation, Heteroscedasticity

1. Introduction

In October 2015, the Ministry of Health, Labour and Welfare [1] announced that Japanese medical expenditures for fiscal year (FY, the Japanese fiscal year is April-March) 2013 exceeded 40 trillion yen (40.06 trillion yen), an increase of 0.85 trillion yen or 2.2% from previous years. Japan has had a mandatory insurance system since 1961. In FY 2013, public expenditures were 15.53 trillion yen (10.36 trillion from the central and 5.16 trillion from local governments), public insurance premiums were 19.52 trillion yen (8.12 trillion from employers and 11.40 trillion from the insured), and direct expenditures by patients were just 4.71 trillion yen or 11.7% of the total. Public expenditures increased by 0.39 trillion yen over the previous year, reaching 38.8% of total medical expenditure. Meanwhile, at the end of FY 2014, the Japanese long-term financial deficit reached 1009 trillion yen (809 trillion from central and 201 trillion from local governments) or 205% of the Japanese Gross Domestic Product (GDP) [2]. Thus, controlling medical expenditures by efficient use of medical resources is an urgent political issue for sustaining the medical insurance system.

Among various diseases, medical expenditure for cataract was 1.21 trillion yen, one of the most expensive disease [1]. The cost of diabetes, however, has become a worldwide problem. The International Diabetes Federation (IDF) [3] reported that total world health expenditure for this disease was \$612 billion in 2014. Moreover, diabetes can cause serious complications such as vision loss, kidney disease (nephropathy), heart failure, and stroke [4] [5]. If the costs of taking care of the comorbidities and complications of diabetes were included, the medical costs of diabetes would likely be much higher. The Public Health Agency of Canada [6] has reported that the "direct health care costs may be as much as 4.5 times higher than when looking at diabetes alone". Lesniowska et al. [7] found that the costs of treating complications in Poland were more than five times those of hospital diabetes treatment. Chereches et al. [8] reported that comorbid depression increased diabetes-related costs in Romania. Yeaw [9] analyzed the costs of complications in the United States in cohorts based on age and diabetes type and found that the cost of renal diseases, lactic acidosis and peritoneal dialysis were highest. Zhuo et al. [10] estimated that the discounted excess lifetime medical costs for people with diabetes in the United States were \$124,600, \$91,200, \$53,800 and \$35,900 when diabetes was diagnosed at age 40, 50, 60 and 65, respectively. Condliffe, Parasuraman and Pollack [11] reported that medical expenditures for diabetes patients with comorbid hypertension and obesity were significantly higher than those of patients without these comorbidities. Yesudian et al. [12] summarized the literature about the economic burden of diabetes in India. In addition to the medical costs, diabetes reduces the labor supply and the productivity of patients. Dall et al. [13] reported that the national economic burden of pre-diabetes and diabetes in the United States reached \$218 billion in 2007, \$153 billion in higher medical costs and \$65 billion in reduced productivity. More recently, the American Diabetes Association (ADA) [14] estimated that in 2012, the total cost of diabetes in the United States was \$245 billion. Of this total, \$69 billion were indirect costs related to reductions in productivity; this was broken down further as inability to participate in the labor force (2.7 billion), inability to work as a result of disease-related disability (21.6 billion), and lost productive capacity due to early mortality (18.5 billion). The Public Health Agency of Canada [6] found that the indirect costs of diabetes amounted to \$1.7 billion (Canadian) in 2000. Other reports [15]-[19] suggest that diabetes and diabetes-related complications reduced employment, length of working days, and wage rates. All studies lead to the same conclusion: that the true cost of diabetes is much higher than the direct cost.

In Japan, a new inclusive payment system based on the Diagnosis Procedure Combination (DPC) was introduced in April 2003. The system is called the DPC/PDPS (per diem payment system). As of April 2015, it was estimated that a total of 1580 hospitals had joined the DPC/PDPS, and an additional 266 hospitals were preparing to join (hereafter DPC hospitals) [20]. The DPC hospitals have a total of 520,570 beds. This means that they comprise about 25% of the 7528 general hospitals and 58% of the total number of hospital beds (899,385) in Japan. Since DPC hospitals must computerize their medical information, we now have access to large-scale medical datasets.

The IDF [21] reported that 90% or more of diabetics have type 2 diabetes. (Diabetes can be classified as type 1 or type 2; for details, see ADA [22].) Nawata and Kawabuchi [23] [24] studied the length of stay (LOS) in hospitals for type 2 patients who joined educational programs for lifestyle improvement rather than treatment (hereafter educational hospitalization). They found a large variation among hospitals in average length of stay (ALOS), and that ALOS at some hospitals was unreasonably long even after eliminating the influence of patient characteristics. These researchers also evaluated the daily medical expenditure (DME) per patient [24]. Unlike ALOS, the variation in average daily medical expenditures (ADME) among hospitals were rather small, with the difference between the largest and smallest being just 15% of the overall average. However, in their study, type 2 diabetes patients who were hospitalized for regular medical treatments (hereafter, regular patients) were not analyzed. Since treatments for regular patients may vary depending on the conditions of patients, heterogeneity among regular patients is considered to be much larger than in the educational hospitalization cases. In our dataset, regular patients represented about two thirds of type 2 diabetes patients, and their treatment constituted over 70% of expenditures.

In this paper, we analyzed LOS and DME of regular patients. LOS was analyzed by the Box-Cox [25] transformation model (BC model), taking into account variance among hospitals. The maximum likelihood estimator (BC MLE), which maximizes the likelihood function under the normality assumption, has large biases of the BC MLE when heterogeneity exists in variances [26]. For LOS in particular, variances often differ greatly among hospitals, even after controlling for the characteristics of diseases, treatments and patients. Nawata [27] proposed a robust estimator that is consistent under heteroscedasticity. However, since the variance of the estimator is rather large, we sometimes failed to detect heteroscedasticity. Therefore, we propose a test and new estimator for heteroscedastic cases. Next, we analyzed the LOS of regular patients without any operations by the proposed methods. We used the DPC dataset of 12,666 patients with DPC code 10070xxxx0x collected from 60 DPC hospitals in Japan. We then evaluated the daily expenditures by the ordinary least squares (OLS) method.

2. Models for the Analysis of LOS

For the analysis of cost-effectiveness in diabetes, cohort-study-type models are often used [28]. However, it is necessary to consider various risk factors for diabetes, including related complications and comorbidities. Watson *et al.* [29] reviewed over 100 studies and concluded that, "None of the identified papers included all of these features" ([29], p. 250). Therefore, we employed regression-type models. The distribution of LOS of regular patients is shown in **Figure 1**. The distribution shows a heavy tail on the right side. In analyzing medical costs with a multiple regression model, Sittig, Friedel and Wasem [30] also found that costs were not normally distributed and were skewed to the right, as in this study. They used the log transformation. In this paper, we used the BC model for the analysis of LOS. The BC transformation includes the log transformation. Since the distribution was not skewed, we used the OLS for the analysis of the DME.

2.1. BC Model and BC MLE

Suppose that the LOS of patient *j* in hospital *i* is given by the BC model:

$$z_{ij} = \left(t_{ij}^{\lambda} - 1\right) / \lambda \text{ if } \lambda \neq 0, \quad z_{ij} = \log\left(t_{ij}\right) \text{ if } \lambda = 0,$$

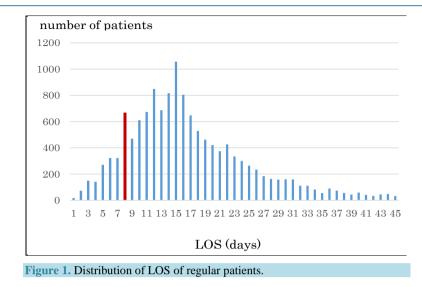
$$z_{ii} = x_{ii}' \beta + u_{ii} \quad i = 1, 2, \cdots, k, \quad j = 1, 2, \cdots, n_i$$
(1)

where t_{ij} is LOS, λ is the transformation parameter, x_{ij} and β are the vectors of the explanatory variables and coefficients, k is the number of hospitals, n_i is the number of patients in hospital i, and $n = \sum n_i$. Here

 u_{ij} is assumed to follow the normal distribution with mean 0 and variance σ_{ij}^2 . Let $\theta' = (\lambda, \beta', \sigma^2)$. The BC likelihood function under the normality assumption of the error terms is given by

$$\log L(\theta) = \sum_{i,j} \left[\log \phi \left\{ \left(z_{ij} - x'_{ij} \beta \right) / \sigma \right\} - \log \sigma \right] + (\lambda - 1) \sum_{i,j} \log t_{ij},$$
⁽²⁾

where ϕ is the probability density function of the standard normal assumption, and σ^2 is the variance of u_{ij} under homoscedasticity. The BC MLE maximizes the likelihood function given by Equation (2), and is consistent if the error terms are homoscedastic and the "small σ " assumption [31] is satisfied.



2.2. Nawata's Estimator and the Test for the "Small σ " Assumption

Nawata [32] proposed a semiparametric estimator (hereafter, N-estimator), obtained by

$$G(\theta) = -\frac{1}{\sigma^{2}\lambda} \sum_{i,j} \left[\left\{ \frac{\left(\lambda x_{ij}^{\prime}\beta + 1\right)\log\left(\lambda x_{ij}^{\prime}\beta + 1\right)}{\lambda} - x_{ij}^{\prime}\beta \right\} \left(z_{ij} - x_{ij}^{\prime}\beta\right) + \log\left(\lambda x_{ij}^{\prime}\beta + 1\right) \left(z_{ij} - x_{ij}^{\prime}\beta\right)^{2} + \frac{\lambda(z_{ij} - x_{ij}^{\prime}\beta)^{3}}{\lambda x_{ij}^{\prime}\beta + 1} \right]$$

$$+ \sum_{i,j} \left\{ \frac{1}{\lambda}\log\left(\lambda x_{ij}^{\prime}\beta + 1\right) + \frac{\left(z_{ij} - x_{ij}^{\prime}\beta\right)}{\lambda x_{ij}^{\prime}\beta + 1} \right\} = 0,$$

$$\sum_{i,j} x_{ij} \left(z_{ij} - x_{ij}^{\prime}\beta\right) = 0, \text{ and } \sigma^{2} = \sum_{i,j} \frac{\left(z_{ij} - x_{ij}^{\prime}\beta\right)^{2}}{n}.$$

$$(3)$$

These equations are available by the approximation of the $\partial \log L/\partial \theta$. Using the BC MLE and N-estimator, we can conduct the test for the "small σ " assumption (the null hypothesis is that the "small σ " assumption holds) by the Hausman test [33]. For details, see Nawata and Kawabuchi [23] [24].

2.3. A Test for Homoscedasticity

The N-estimator cannot be consistent under heteroscedasticity. Nawata [27] proposed a consistent estimator even under heteroscedasticity based on the third-moment restriction. However, as the result of a Monte Carlo study showed, the variances of the estimators were rather large [27], and we cannot sometimes reject the null hypothesis of homoscedasticity even if the error terms are heteroscedastic. In other words, the power of the Hausman test based on Nawata's [27] estimator may not be high in some cases. Here, we propose a new test. The advantage of the test is that the residuals of the BC model are directly used and we do not need an alternative estimator unlike the Hausman test. The null hypothesis is that the error terms are homoscedastic, and $\sigma_{ij}^2 = \sigma_0^2$ for any *i* and *j*. Note that we used the residuals of the BC MLE if the "small σ " assumption were accepted, and the N-estimator otherwise in the previous test. Let $\{e_i\}$ be residuals of the BC model and (λ_0, β'_0) be true parameter values. Then

$$e_{ij} = \hat{z}_{ij} - x'_{ij}\hat{\beta} = u_{ij} + \left(\frac{t_{ij}^{\lambda} - 1}{\hat{\lambda}} - \frac{t_{ij}^{\lambda_0} - 1}{\lambda_0}\right) + x'_{ij}\left(\beta_0 - \hat{\beta}\right)$$

$$= u_{ij} + \psi_{ij}\left(\lambda_0\right)\left(\hat{\lambda} - \lambda_0\right) + x'_{ij}\left(\beta_0 - \hat{\beta}\right) + o_p\left(1/\sqrt{n}\right)$$
(4)

where $\hat{z}_{ij} = \left(t_{ij}^{\hat{\lambda}} - 1\right) / \hat{\lambda}$ and $\psi_{ij}(\lambda) = \frac{dz_{ij}}{d\lambda} = \frac{1}{\lambda} \left(-z_{ij} + t_{ij}^{\lambda} \log t_{ij}\right)$. Therefore,

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$$e_{ij}^{2} = u_{ij}^{2} + 2\psi_{ij} \left(\lambda_{0}\right) \left(\hat{\lambda} - \lambda_{0}\right) u_{ij} + x_{ij}' \left(\beta_{0} - \hat{\beta}\right) u_{ij} + o_{p} \left(1/\sqrt{n}\right).$$
(5)

Under the null hypothesis,

$$\sqrt{n} \sum_{i,j} \left(f_{1ij} - f_{2ij} \right) e_{ij}^{2} = \sqrt{n} \sum_{i,j} \left(f_{1ij} - f_{2ij} \right) \left(e_{ij}^{2} - \sigma_{0}^{2} \right) \\
= \sqrt{n} \sum_{i,j} \left(f_{1ij} - f_{2ij} \right) \left(u_{ij}^{2} - \sigma_{0}^{2} \right) + 2\sqrt{n} \left(\hat{\lambda} - \lambda_{0} \right) \sum_{ij} \left(f_{1ij} - f_{2ij} \right) \psi_{ij} \left(\lambda_{0} \right) u_{ij} + \sqrt{n} \left(\beta_{0} - \hat{\beta} \right)' \sum_{i,j} x_{ij}' u_{ij} + o_{p} \left(1 \right) \\
= \sqrt{n} \sum_{i,j} \left(f_{1ij} - f_{2ij} \right) \left(u_{ij}^{2} - \sigma_{0}^{2} \right) + 2\sqrt{n} \left(\hat{\lambda} - \lambda_{0} \right) a + o_{p} \left(1 \right) \\
\text{ere} \quad f_{i} = \frac{\log \left(\lambda x_{ij}' \beta + 1 \right)}{2} \quad \text{and} \quad f_{ij} = \frac{1}{2} \quad \text{From Equation (6), we get}$$

where $f_{1ij} = \frac{\log(\lambda x_{ij}\beta + 1)}{\sum_{i,j}\log(\lambda x'_{ij}\beta + 1)}$ and $f_{2ij} = \frac{1}{n}$. From Equation (6), we get

$$\sqrt{n}\sum_{i,j} \left(f_{1ij} - f_{2ij} \right) e_{ij}^2 / \sqrt{V_1} \to N\left(0,1\right)$$
⁽⁷⁾

$$V_{1} = \lim_{n \to \infty} \left[n \sum_{i,j} (f_{1ij} - f_{2ij})^{2} (Eu_{ij}^{4} - \sigma^{4}) + 4a^{2}nV(\hat{\lambda}) + 4aE \left\{ \sqrt{n} (\hat{\lambda} - \lambda_{0}) \sqrt{n} \sum_{i,j} (f_{1ij} - f_{2ij}) (u_{ij}^{2} - \sigma_{0}^{2}) \right\} \right],$$

and

$$a = p \lim_{n \to \infty} \sum_{ij} \left(f_{1ij} - f_{2ij} \right) \psi_{ij} \left(\lambda_0 \right) u_{ij},$$

under the null hypothesis, and we can use $t = \sqrt{n} \sum_{i,j} (f_{1ij} - f_{2ij}) e_{ij}^2 / \sqrt{\hat{V}_1}$ as the test statistic where \hat{V}_1 is the estimate of M_1 is the estimate of M_1 is the estimate of M_1 and M_2 as the test statistic where \hat{V}_1 is the estimate of M_2 and \hat{V}_1 as the test statistic where \hat{V}_1 is the estimate of M_2 and \hat{V}_1 and \hat{V}_2 and \hat{V}_1 and \hat{V}_2 and \hat{V}_1 and \hat{V}_2 as the test statistic where \hat{V}_1 is the estimate of M_2 and \hat{V}_2 and \hat{V}_1 as the test statistic where \hat{V}_1 is the estimate of M_2 and \hat{V}_2 and \hat{V}_1 and \hat{V}_2 and \hat{V}_2 and \hat{V}_1 and \hat{V}_2 and \hat{V}_2

timator of V_1 . The calculation of V_1 may not be easy, and we get the following formula in the test

$$\left|\sqrt{V_{2}} - \sqrt{V_{3}}\right| \le \sqrt{V_{1}} \le \sqrt{V_{2}} + \sqrt{V_{3}}, \ V_{2} = n \sum_{i,j} \left(f_{1ij} - f_{2ij}\right)^{2} \left(Eu_{ij}^{4} - \sigma^{4}\right), \ V_{3} = 4a^{2}nV\left(\hat{\lambda}\right).$$
(8)

When the BC MLE is used, $V_2 = (Eu_{ij}^4 - \sigma^4) = 2\sigma^4$ from the moment of the normal distribution.

2.4. A New Consistent Estimator under Heteroscedasticity

If the null hypothesis of homoscedasticity is accepted, we can use the BC MLE or N-estimator. When it is rejected, we modified Equation (3) and replaced $G(\theta)$ with

$$H(\theta) = -\frac{1}{\sigma^{2}\lambda}\sum_{i,j}\left[\left\{\frac{\left(\lambda x_{ij}^{\prime}\beta+1\right)\log\left(\lambda x_{ij}^{\prime}\beta+1\right)}{\lambda} - x_{ij}^{\prime}\beta\right\}\left(z_{ij} - x_{ij}^{\prime}\beta\right) + \frac{\lambda\left(z_{ij} - x_{ij}^{\prime}\beta\right)^{3}}{\lambda x_{ij}^{\prime}\beta+1}\right] + \sum_{i,j}\frac{\left(z_{ij} - x_{ij}^{\prime}\beta\right)}{\lambda x_{ij}^{\prime}\beta+1} = \sum_{i,j}h_{ij}\left(\theta\right) = 0.$$
(9)

 $H(\theta_0)$ does not depend on the second moments of error terms, $E\{H(\theta_0)\}=0$ even under heterosceda-

sticity where $\theta_0 = (\lambda_0, \beta_0, \overline{\sigma}^2)$ and $\overline{\sigma}^2 = \lim_{n \to \infty} \frac{1}{n} \sum_{i,j} \sigma_{ij}^2$. Therefore, from the same argument of Nawata [27] [32], there exists a consistent estimator of λ and β among the roots if $G(\theta)$ is replaced by $H(\theta)$ in Equation (3). Let $\hat{\theta}_M = (\hat{\lambda}_M, \hat{\beta}, \hat{\sigma}_M)$ be the consistent root. The asymptotic distribution of this estimator $\hat{\theta}_M$ is given by $\sqrt{n} (\hat{\theta}_M - \theta_0) \rightarrow N [0, A^{-1}B(A')^{-1}],$ (10)

where
$$A = -p \lim_{n \to \infty} \frac{1}{n} \frac{\partial \xi}{\partial \theta}\Big|_{\theta_0}, \xi(\theta)' = \left[H(\theta), \sum_{i,j} (z_{ij} - x'_{ij}\beta) x'_{ij}, \sum_{i,j} (z_{ij} - x'_{ij}\beta)^2 - n\overline{\sigma}^2 \right],$$

 $B = \lim_{n \to \infty} \frac{1}{n} \sum_{i,j} E\left[\frac{\partial \zeta_{ij}}{\partial \theta} \Big|_{\theta_0} \frac{\partial \zeta_{ij}}{\partial \theta'} \Big|_{\theta_0} \right], \text{ and } \zeta_{ij}(\theta_0)' = \left[h_{ij}(\theta_0), x'_{ij}u_{ij}, (u_{ij}^2 - \overline{\sigma}^2) \right].$

3. Evaluations of the LOS and DME

In this section, we analyze the LOS of regular type 2 diabetic patients by the proposed method and the DME per patient by the OLS method.

3.1. Data

The data used in this study were collected by the Department of Health Care Economics at the Tokyo Medical and Dental University from over 100 hospitals; the sample period was from July 2008 to March 2012. The data included patients' LOS, medical expenditures, age, gender, health-related conditions and medical treatments. For details, see Nawata and Kawabuchi [23]. The original dataset included 27,861 patients, and 22,430 patients (80%) were classified under the DPC code 100070xxxxx0x (type 2 diabetes patient without diabetic ketoacidosis and secondary diseases). The ALOS and average medical expenditure (AME) for these patients were 17.4 days and 461,431 yen, respectively. This means that 77% of medical expenditures for diabetes were for these patients. As in the previous study [24], we only used the data of patients: 1) who were treated in clinical departments that mainly treat diabetes; and 2) whose principle disease was diabetes. Of the 21,603 patients who satisfied these criteria, 14,193 were regular patients. Diabetes can cause complications that require serious operations. It is natural that LOS would become longer and medical expenditures higher for these patients. Therefore, we excluded 932 patients who had received operations (ALOS and AME for patients with operations were 28.5 days and 882,378 yen, respectively). Finally, we used a data set of 12,666 patients in 60 hospitals (Hp1-60) with more than 60 regular patients to evaluate the effects of patients.

Table 1 shows LOS and medical expenditure by hospital. For all 12,666 patients, ALOS was 18.1 days with a standard deviation (SD) of 12.7 days. The AME was 461,680 yen with a SD of 273,253 yen. In the case of educational hospitalization, the ALOS was 13.7 days with a SD of 6.7 days, and the AME was 370,336 yen with a SD of 152,895 yen for 6,178 patients. Therefore, the ALOS was 4.4 days longer and AME was 91,344 yen higher for regular patients than for those with an educational hospitalization [24]. Moreover, the coefficients of variation (=SD/average) became 70% for LOS and 59% for medical expenditures. The coefficients of variation were 49% and 41% for the educational hospitalizations. This means that heterogeneity of regular patients was larger than that of educational hospitalization, as expected.

The maximum ALOS by hospital was 37.6 days (hp50) and the minimum was 10.0 days (hp42). The maximum was thus 3.8 times larger than the minimum, with a difference of 27.6 days. The maximum SD by hospital was 28.4 days (hp21), and the minimum was 4.7 days (hp52). This maximum was six times larger than the minimum and the variances were quite different among hospitals. This implies the importance of the proposed model, which takes into account the heteroscedasticity of the variances.

Figure 2 shows the relationship between the ALOS and AME by hospital. The correlation coefficient was 0.984, and there was an almost linear relation between these two variables. This implies that despite large heterogeneity among patients, ALOS was the largest determinant of AME.

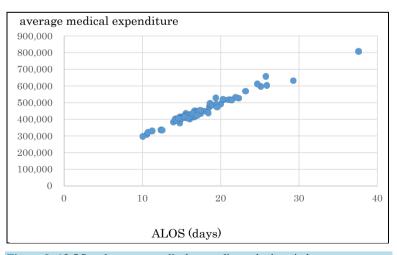


Figure 2. ALOS and average medical expenditures by hospital.

able 1. L	ength of	stay and 1	nedical ex	xpenditure b	y hospital.						
UD.	N	LOS (days)		ME (yen)				LOS (days)		ME (yen)	
HP	HP N	ALOS	SD	AME	SD	HP	N	ALOS	SD	AME	SD
HP1	582	14.79	5.85	413,632	144,371	HP32	192	16.85	9.83	442,586	219,74
HP2	137	18.55	13.83	474,460	301,932	HP33	149	15.17	8.55	412,000	185,32
HP3	85	17.94	15.11	449,164	317,935	HP34	149	10.67	4.96	322,364	143,33
HP4	63	15.54	8.99	435,237	206,362	HP35	62	17.40	8.98	436,615	181,93
HP5	89	25.72	20.51	658,025	439,181	HP36	212	14.38	8.90	391,749	193,20
HP6	254	14.70	6.31	406,213	141,270	HP37	259	15.81	6.46	413,243	146,48
HP7	99	25.10	25.15	597,842	555,042	HP38	304	17.35	9.21	453,310	207,93
HP8	252	16.63	9.43	450,692	334,735	HP39	294	23.15	14.77	569,587	358,66
HP9	148	21.22	9.92	517,550	209,554	HP40	341	12.52	7.75	335,680	175,10
HP10	70	18.40	11.62	438,506	224,096	HP41	357	22.31	10.70	527,369	232,02
HP11	102	15.35	12.71	421,123	292,665	HP42	653	15.71	5.84	424,447	137,31
HP12	302	16.11	6.93	431,296	162,428	HP43	89	14.98	6.42	404,746	154,79
HP13	149	16.03	7.36	402,396	133,737	HP44	186	16.04	7.35	416,456	161,01
HP14	429	24.67	11.59	612,452	245,115	HP45	330	19.99	10.29	493,362	217,38
HP15	193	14.77	6.69	377,203	140,015	HP46	136	19.41	13.63	489,587	299,08
HP16	98	18.64	12.41	489,848	271,582	HP47	229	15.66	10.30	407,329	232,30
HP17	542	10.54	7.43	309,743	164,012	HP48	177	16.47	10.60	435,584	234,17
HP18	124	14.20	6.04	402,431	148,693	HP49	603	16.97	8.78	423,653	181,43
HP19	70	16.59	12.18	414,280	233,975	HP50	557	37.57	24.83	807,833	484,30
HP20	79	12.37	7.40	337,624	158,109	HP51	179	21.88	19.35	531,286	422,57
HP21	80	29.24	28.35	632,467	622,123	HP52	240	10.03	4.74	297,370	115,36
HP22	138	13.94	4.95	383,960	123,768	HP53	268	20.38	10.94	518,470	243,98
HP23	64	18.63	8.37	496,006	187,280	HP54	196	14.55	6.23	406,779	152,33
HP24	181	16.96	13.57	447,201	299,459	HP55	102	21.37	10.05	515,697	211,65
HP25	177	18.94	11.72	485,520	261,974	HP56	229	15.34	10.05	416,528	228,01
HP26	244	15.55	7.33	410,726	168,783	HP57	177	20.24	9.40	520,557	280,60
HP27	269	16.53	12.87	421,123	284,123	HP58	70	11.21	6.08	331,358	152,51
HP28	93	14.11	8.31	398,494	200,704	HP59	208	25.86	13.25	604,269	313,96
HP29	75	19.37	20.51	528,224	555,561	HP60	99	19.49	14.71	473,631	314,83
HP30	254	17.51	10.07	451,452	223,114	All	12666	18.05	12.66	461,680	273,25
HP31	177	20.98	10.80	518,968	230,641						

N: Number of patients, ME: Medical expenditure per patient, AME: Average ME, SD: Standard deviation.

3.2. Evaluation of LOS

We chose the following as explanatory variables. The Female dummy (1: female, 0: male) was used for gender. The proportion of female patients was 42.3%. Since LOS tends to increase with patient age, we used Age as an explanatory variable. The average age of the patients was 63.8, and the standard deviation was 13.9 years. Japan has a mandatory health insurance system, and the percentage of medical fees paid by patients changed at age 70 in the sample period (30% for younger than 70; 10% for 70 or over). So, an Age 70 (1: 70 or over, 0: otherwise) dummy was also added. Other explanatory variables representing the conditions of patients included: Comorbidities (number of comorbidities), Complications (number of complications), Acute Hospitalization dummy (acute hospitalization: 1, otherwise: 0), Outpatient dummy (outpatient of the same hospital before hospitalization: 1, otherwise: 0), Introduction dummy (introduced by another hospital: 1, otherwise: 0), and Home dummy (1: returned to home: 1, otherwise: 0). Among our study subjects, 14.6%, 15.7%, 15.1% and 39.4% of patients had 1, 2, 3 and 4 comorbidities, respectively, while 16.1%, 10.6%, 7.0% and 10.2% of patients had 1, 2, 3 and 4 complications, respectively. The proportions of acute hospitalization patients, outpatients of the same hospital before hospitalization, patients introduced by another hospital, and patients who returned home were 18.9%, 80.1%, 38.2%, and 77.7%, respectively. To evaluate seasonal effects we added Winter (December to February) and Summer (July and August) dummies. Since the DPC/PDPS was revised in April 2010, an after 2010 dummy (after April, 2010: 1, otherwise: 0) was used. As shown in Figure 1, many patients were discharged from hospitals on the eighth day (after one week of hospitalization); hence, we added the One Week dummy (discharged on the eight day: 1, otherwise: 0). If the LOS exceeds the Specific-Hospitalization-Period (SHP, 29 days in this case) determined by the DPC/PDPS, the medical payment becomes a conventional fee-for-service system. Therefore, we added the Over SHP dummy (LOS is over the SHP: 1, otherwise: 0). For these variables, 55.0% of patients were after April 2010, 5.0% were discharged on the eighth day, and 11.0% stayed over the SHP.

To evaluate the time trend that may represent the progress of medical technologies, Time (number of months from July 2008) was used. For more specific classification of the principal disease, the International Disease Classification version 10 (ICD-10) was used. The ICD-10 classifies type 2 diabetes by complications. We used the E11.2-E11.7 dummies based on E11.9 (without complications). Among patients, 5.9% were classified under E11.2 (with kidney complications), 7.8% were classified under E11.3 (with ophthalmic complications), 5.2% were classified under E11.4 (with neurological complications), 0.8% were classified under E11.5 (with circulatory complications), 13.1% were classified under E11.6 (with other specified complications), and 32.1% were classified under E11.7 (with multiple complications). To evaluate the effects of hospitals, we added 60 hospital dummies and did not use the constant term.

As a result, Equation (1) becomes:

$$x'_{ij}\beta = \beta_{1}\text{Female} + \beta_{2}\text{Age} + \beta_{3}\text{Age }70 + \beta_{6}\text{Comorbidities} + \beta_{5}\text{Complications} + \beta_{6}\text{Acute Hospitalization} + \beta_{7}\text{Outpatient} + \beta_{8}\text{Introduction} + \beta_{9}\text{Home} (11) + \beta_{10}\text{One Week} + \beta_{13}\text{Over SHP} + \sum_{i}\beta_{i}\text{ICD-10 dummy} + \sum_{i}\beta_{i}i\text{-th Hospital dummy}$$

We first tested the "small σ " assumption. The estimates of λ were 0.3537 for the BC MLE and 0.3785 for the N-estimator. The value of the test statistic was t = (0.3537 - 0.3785)/0.0338 = 1.775 and the null hypothesis was accepted at the 5% level. Therefore, we used the residuals of the BC MLE in the test for heteroscedasticity. We got $\sqrt{n} \sum_{i,j} (f_{1ij} - f_{2ij}) e_{ij}^2 = 0.0398$ and $\sqrt{V_1} \le \sqrt{V_2} + \sqrt{V_3} = 0.0121$, and the value of the test statistic was $t \ge 3.281$. The null hypothesis was rejected at the 1% level; thus, we could not use the BC MLE and had to use

 $t \ge 3.281$. The null hypothesis was rejected at the 1% level; thus, we could not use the BC MLE and had to use the newly proposed estimator.

The estimation results are presented in **Table 2**. The estimate of λ was 0.4824, which was sufficiently larger than that of the BC MLE. This coincides with the results of the Monte Carlo study [27], where the BC MLE underestimated λ under heteroscedasticity. The results of other variables were similar to those for educational hospitalization [23]. The estimates of Age, Comorbidities, Complications and Introduction dummy were positive and significant at the 1% level. This means that LOS was prolonged by age and complications. The LOS also became longer if patients came from another hospital. The estimate of After 2010 dummy was negative and significant at the 5% level, and it was admitted that the 2010 revision reduced LOS. The estimates of the Female,

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Variable	Estimate	SE	t-value	Variable	Estimate	SE	t-value
λ	0.4824	0.0010	485.31**	HP20	3.9390	0.2078	18.958
Female	0.0286	0.0273	1.0477	HP21	5.5099	0.2978	18.502
Age	0.0053	0.0015	3.6228**	HP22	4.2774	0.1450	29.509
Age70	-0.0403	0.0411	-0.9807	HP23	4.8487	0.2142	22.635
Comorbidities	0.1170	0.0107	10.885**	HP24	4.0421	0.1669	24.219
Complications	0.1675	0.0109	15.372**	HP25	4.9755	0.1567	31.754
Acute Hospitalization	0.0574	0.0421	1.3622	HP26	4.4978	0.1282	35.088
Outpatient	0.0530	0.0432	1.2252	HP27	4.4246	0.1478	29.943
Introduction	0.1490	0.0325	4.5833**	HP28	4.2511	0.1890	22.489
Home	-0.0514	0.0373	-1.3785	HP29	4.5950	0.2458	18.692
Winter	-0.0441	0.0339	-1.3034	HP30	3.9840	0.1428	27.904
Summer	-0.0084	0.0333	-0.2512	HP31	5.2178	0.1451	35.956
One Week	-1.3904	0.032809	-42.378**	HP32	4.3233	0.1518	28.489
Over SHP	4.6233	0.0533	86.739**	HP33	4.5857	0.1435	31.946
After 2010	-0.1137	0.0557	-2.0419*	HP34	3.5024	0.1309	26.765
Time	0.0006	0.0023	0.2468	HP35	4.6768	0.1993	23.464
ICD10 Dummies				HP36	4.2679	0.1424	29.973
E112	0.0628	0.0594	1.0564	HP37	4.4344	0.1366	32.459
E113	0.0634	0.0523	1.2118	HP38	4.6163	0.1378	33.505
E114	0.0181	0.0748	0.2422	HP39	5.3361	0.1381	38.653
E115	0.5088	0.1588	3.2028**	HP40	4.0143	0.1324	30.321
E116	0.1200	0.0491	2.4432*	HP41	5.1711	0.1381	37.432
E117	0.1296	0.0351	3.6976**	HP42	4.6685	0.1094	42.656
Hospital Dummies				HP43	4.5198	0.2189	20.648
HP1	4.4863	0.1169	38.367**	HP44	4.8467	0.1772	27.349
HP2	4.4642	0.1731	25.783**	HP45	4.7989	0.1255	38.226
HP3	4.5492	0.2039	22.316**	HP46	4.3817	0.1880	23.302
HP4	4.6349	0.1832	25.306**	HP47	4.4592	0.1442	30.922
HP5	4.8959	0.2677	18.288^{**}	HP48	3.9485	0.1801	21.922
HP6	4.5489	0.1352	33.644**	HP49	4.8959	0.1100	44.524
HP7	4.9872	0.2066	24.134**	HP50	6.1109	0.1404	43.520
HP8	4.5842	0.1304	35.143**	HP51	4.8743	0.1902	25.624
HP9	5.0341	0.1516	33.214**	HP52	3.2377	0.1352	23.943
HP10	4.5405	0.2328	19.501**	HP53	4.9419	0.1401	35.265
HP11	4.0397	0.1738	23.238**	HP54	4.1868	0.1340	31.248
HP12	4.8730	0.1175	41.478**	HP55	5.0853	0.1720	29.569
HP13	4.5355	0.1493	30.379**	HP56	4.0793	0.1585	25.739
HP14	5.2492	0.1279	41.043**	HP57	5.0209	0.1491	33.685
HP15	4.6980	0.1367	34.365**	HP58	3.7117	0.1815	20.450
HP16	4.6742	0.1888	24.755**	HP59	5.2332	0.1491	35.091
HP17	3.6085	0.1212	29.764**	HP60	4.8338	0.1995	24.227
HP18	4.0759	0.1212	26.174**	R2		0.5958	21.227
HP18 HP19	4.0759	0.1337	20.174 19.161 ^{***}	π2		0.3750	

SE: Standard Error, $^*\!Significant$ at the 5% level, $^{**}\!Significant$ at the 1% level.

age 70, Acute Hospitalization, Outpatient, Home, Winter and Summer dummies were not significant at the 5% level, and we could not find evidence that the LOS depended on these variables. The estimates of One Week and Over SHP dummies were positive and significant at the 1% level, showing that one-week hospitalization and exceeding the SHP affected LOS. With respect to the ICD-10 dummies, the estimates of E11.5 and E11.7 were positive and significant at the 1%, as was E11.6 at the 5% level; none of the other estimates was significant at the 5% level. For the hospital dummies, the maximum estimate was 6.111 (HP50), the minimum was 3.238 (HP52), and the difference was 2.873.

3.3. Evaluation of DME

Next, we evaluated daily medical expenditures (DME_{ij}) per patient. Since the distribution was not skewed, we used the OLS for the analysis of DME. Since heteroscedasticity of error terms might exist, the standard errors were obtained by the robust variance calculation method [34]. We considered the model given by

$$DME_{ij} = \beta_{1} \text{Female} + \beta_{2} \text{Age} + \beta_{3} \text{Age } 70 + \beta_{6} \text{Comorbidities} + \beta_{5} \text{Complications} + \beta_{6} \text{Acute Hospitalization} + \beta_{7} \text{Outpatient} + \beta_{8} \text{Introduction} + \beta_{9} \text{Home} + \beta_{10} \text{LOS}$$
(12)
+ $\beta_{11} \text{Over SHP} + \beta_{12} \text{Over SHP}^{*} (\text{LOS -SHP}) + \sum_{i} \beta_{i} \text{ICD-10 dummy} + \sum_{i} \beta_{i} i \text{-th Hospital dummy}$

The medical expenditures of 129 patients were not available, and the DME of 42 were too low (below 10,000 yen). Excluding these patients, we used the dataset of 12,495 patients. The results of the estimation are presented in **Table 3**. The average daily medical expenditure (ADME) for regular patients was 27,375 yen, a little bit smaller than the ADME for educational hospitalization (27,983 yen) [24]. The estimates of Comorbidities and Complication were positive and significant at the 1% level. Thus, we found that comorbidities and complications not only made LOS longer but also DME higher. The estimates of Acute Hospitalization and Outpatients were significant at the 1% level but the signs were opposite. Acute hospitalization made DME higher but it were smaller if a patient was a hospital's own outpatient. The estimates of Winter and Summer were positive and significant at the 1% case, we observed a seasonal effect. The estimate of After 2010 was positive and significant at the 1% level.

For the educational hospitalization case, the 2010 revision reduced DME, but we got the opposite result for regular patients. The estimate of LOS was negative and significant at the 1% level. Since daily payments to hospitals decrease as LOS becomes longer under the DPC/PDPS, this result is quite reasonable. On the other hand, estimates of Over SHP and Over SHP * (LOS - SHP) were positive and significant at the 1% level. After the SHP, payment is based on a conventional fee-for-service system, and we got the same result as for the educational hospitalization cases. The coefficient time was negative and significant at the 1% level, and there was a time trend that reduced DME. Among the ICD-10 dummies, E11.2, E11.4 and E11.7 were positive at the 1% or 5% levels, and the DME increased for these diseases. Among estimates of hospital dummies, the largest was 36,920 yen (HP28) and the smallest was 33,553 yen (HP49). The difference was 3368 yen or 12.3% of the ADME of all patients.

4. Discussion

The analyses in the previous section suggest that the large differences of medical expenditures among hospitals were mainly caused by the ALOS. Moreover, large differences existed among hospitals, and the influence of the hospital was much larger than that of other variables. For example, let us consider two male patients staying at the same hospitals. One patient is age 80, has 4 comorbidities and 4 complications, was introduced by another hospital, and has the ICD-10 code E11.7. The other patient is age 50, has no comorbidities or complications, was not introduced by another hospital, and has the ICD-10 code E11.9. (All other variables are set to the same values.) The former and later are the worst- and best-case scenario patients that we can consider. The difference of between these two patients is 1.534. The difference between the largest and smallest estimates of hospital dummies was 2.873, a much bigger number. Moreover, compared to the estimate of HP52 where the ALOS was the shortest, the estimates at 21 hospitals, more than one third of the total 60 hospitals, exceeded this criterion. This suggests that ALOS for some hospitals were unreasonably long, and it will be necessary for them to explain why and to revise their medical practices. It is difficult for the working generation to stay in a hospital for a long

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Variable	Estimate	SE	t-value	Variable	Estimate	SE	t-value
Female	-63.3	64.4	-0.9822	HP20	34,964	465	75.223**
Age	4.7	3.5	1.3594	HP21	35,633	487	73.145*
Age70	-79.9	98.1	-0.8144	HP22	35,113	392	89.636*
Comorbidities	219.2	24.6	8.9076**	HP23	34,969	505	69.241*
Complications	196.7	26.3	7.4735**	HP24	34,820	364	95.705*
Acute Hospitalization	2464.7	88.3	27.897**	HP25	34,553	366	94.485*
Own Outpatient	-342.7	95.3	-3.5951**	HP26	33,963	341	99.735 ^{**}
Another Hospital	-102.3	73.0	-1.4010	HP27	34,597	330	104.747
Home	-3.5	83.5	-0.0419	HP28	36,920	443	83.270*
Winter	242.1	79.1	3.0612**	HP29	35,302	475	74.358*
Summer	168.3	79.9	2.1052^{*}	HP30	33,617	336	100.148
After 2010	823.5	131.9	6.2443**	HP31	34,284	364	94.135*
Over SHP	1308.3	150.4	8.7014**	HP32	34,841	356	97.771**
LOS	-443.2	6.0	-73.332**	HP33	35,537	382	93.087*
Over SHP * (LOS-SHP)	428.6	7.9	54.313**	HP34	35,817	378	94.847*
Time	-97.4	5.4	-18.117**	HP35	34,376	517	66.493*
ICD10 Dummies				HP36	34,825	352	98.883*
E112	474.0	133.2	3.5589**	HP37	34,371	366	93.966*
E113	-71.9	128.6	-0.5588	HP38	35,118	323	108.691
E114	330.4	151.8	2.1767^{*}	HP39	34,921	330	105.969
E115	169.6	360.3	0.4706	HP40	33,847	315	107.344
E116	32.8	114.2	0.2874	HP41	34,434	321	107.292
E117	274.7	83.8	3.2764***	HP42	35,276	288	122.294
Hospital Dummies				HP43	34,455	435	79.254*
HP1	35,750	294	121.678**	HP44	34,727	362	95.923*
HP2	34,623	396	87.377**	HP45	34,694	328	105.928
HP3	35,780	459	77.946**	HP46	34,070	395	86.203*
HP4	35,643	515	69.228**	HP47	34,603	348	99.309*
HP5	36,026	448	80.364**	HP48	34,094	364	93.619*
HP6	35,961	341	105.558**	HP49	33,553	281	119.418
HP7	34,220	438	78.150**	HP50	35,021	313	111.866
HP8	34,820	340	102.329**	HP51	34,695	372	93.172*
HP9	33,968	392	86.757**	HP52	35,681	334	106.946
HP10	35,554	495	71.846**	HP53	35,127	336	104.581
HP11	34,862	425	81.970***	HP54	34,669	355	97.524*
HP12	34,361	308	111.477**	HP55	33,833	428	78.982*
HP13	34,518	383	90.128**	HP56	35,708	343	104.226
HP14	35,810	310	115.561**	HP57	34,514	374	92.168*
HP15	34,792	364	95.640**	HP58	36,856	482	76.479*
HP16	36,048	435	82.873**	HP59	35,020	359	97.503*
HP17	36,121	290	124.763**	HP60	33,703	443	76.027*
HP18	35,510	404	87.805**	R2		0.4847	

S E: Standard Error, $^*\!Significant$ at the 5% level, $^{**}\!Significant$ at the 1% level.

period of time (two weeks or more). Therefore, long LOS might prevent working-age patients in the early stages of diabetes from getting proper treatments. The Japanese standard retirement age is 65, and the average age of patients was 64, with more than half of patients aged 65 or younger.

On the other hand, the differences of ADME among hospitals were relatively small. After eliminating the influence of patient characteristic and conditions, the differences between the maximum and minimum were only 12% of the overall average.

The estimate of Over SHP dummy was 4.623, very large compared to other non-hospital dummy variables. Once LOS exceeded the SHP, patients stayed in hospitals for long periods of time. Eleven percent of patients, not a small number, stayed over the SHP, and ALOS for these patients was 44.6 days. Payment is based on a conventional fee-for-service system after the SHP, and our analyses revealed that the DME did not decrease after the SHP. In other words, there is no incentive for hospitals to discharge patients earlier under the current DPC/PDPS. Therefore, new incentives for high and efficient quality medical services [35] [36] may be necessary to improve the DPC/PDPS in future revisions.

In our dataset, only 131 regular patients out of 14,193 were reported as complete recoveries; that is, at least 99% of patients required medical care after leaving the hospital. Moreover, a large number of patients do not follow prescribed therapies [37]. Dilla *et al.* [38] reported that it was possible to control medical expenses by reducing body mass index (BMI). Although compared to non-diagnosed individuals at risk for high blood sugar, diagnosed diabetics are more likely to improve their lifestyle, the effect diminishes and some behavioral responses to diabetes may be short-lived [39]. Therefore, systems that take proper care of patients for long periods of time after hospitalization are absolutely necessary for diabetes. However, such systems are not yet sufficiently established [22], and we need to institute them as soon as possible. For the development of new systems, adoption of health-information technologies [40] and proper budget allocation [41] are considered critically important. The differences of social and cultural factors should also be considered. Condliffe and Link [42] found that medical expenditures were different among races. Phelps, Hodgson and Lamson [43] suggested that it is necessary to consider ethnic group differences. Salois [44] pointed out that a "local" food economy might be an important factor in the prevention of obesity and diabetes. Finally, Pan and Ward [45] suggested the necessity of developing models to explain the relationship between self-related health and diabetes self-management in a non-Western context. In establishing desirable systems, these factors should also be considered.

5. Conclusions

In this paper, we consider an analysis of the LOS and daily medical expenditure (DME) for regular patients with type 2 diabetes. LOS was analyzed by the power Box-Cox transformation model when variances differed among hospitals. We proposed a new test and consistent estimator. We rejected the homoscedasticity of variances among hospitals, and the feasibility of the proposed model was strongly supported. We then analyzed the LOS of 12,666 type 2 diabetes regular patients collected from 60 DPC hospitals in Japan. The variables found to affect LOS were age, number of comorbidities and complications, introduced by another hospital, one-week hospitalization, 2010 revision, Specific-Hospitalization-Period (SHP), and principal diseases E11.5, E11.6 and E11.7. There were surprisingly large differences in ALOS among hospitals even after eliminating the influences of characteristics and conditions of patients.

We then analyzed the DME by the OLS method. The variables that affected DME were LOS, number of comorbidities and complications, acute hospitalization, hospital's own outpatient, season, introduced by another hospital, one-week hospitalization, 2010 revision, SHP, LOS, time trend, and principal diseases E11.2, E11.4 and E117. The DME did not decrease after the SHP. After eliminating the influence of characteristics and conditions of patients, the differences among hospitals were relatively small, 12% of the overall average. Since at least 99% of patients require medical care after leaving the hospital, systems designed to properly care for patients over long periods of time after hospitalization are absolutely necessary for diabetes.

Diabetes is a chronic disease and a long-term evaluation for medical expenditures and outcomes of treatments is necessary. Eggleston *et al.* [46] analyzed the data of 821 patients joining a self-funded health plan between 1999 and 2009 and concluded that the unit cost of treatment for diabetes, adjusting for the value of health outcomes, has been roughly constant over time. Thurecht and Brown [47] developed a diabetes simulation model that could provide a wide range of outputs to assess the current and projected impact of those with the disease in Australia. Such analyses are also necessary in Japan. Although type 1 diabetes was not analyzed in this study, it

is also an important factor for controlling the costs of diabetes [48]. These are subjects to be analyzed in future studies.

Acknowledgements

The Institutional Review Boards of the University of Tokyo (number: KE12-7) and Tokyo Medical and Dental University (number: 839) approved the use of this dataset. We would like to thank an anonymous referee and Prof. Yoko Ibuka at the Tohoku University for their helpful comments and suggestions.

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